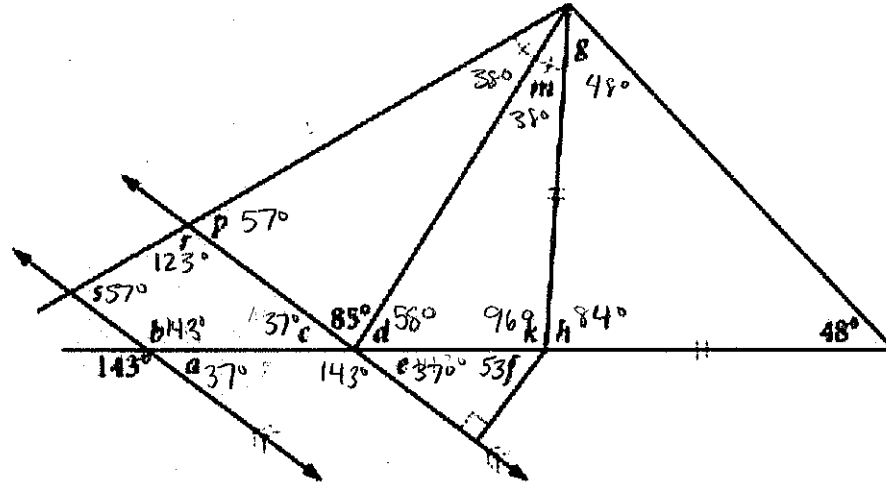


Name: Key
 Geometry

Date: _____
 Band: _____

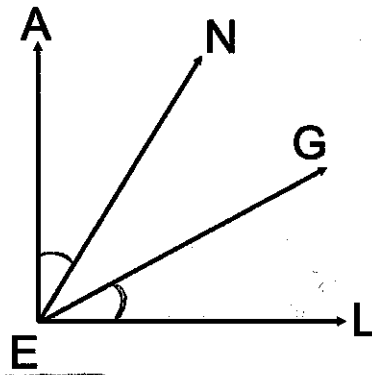
ANGLE PUZZLE:

- $a = 37^\circ$
- $b = 143^\circ$
- $c = 37^\circ$
- $d = 58^\circ$
- $e = 37^\circ$
- $f = 63^\circ$
- $g = 48^\circ$
- $h = 84^\circ$
- $k = 96^\circ$
- $m = 38^\circ$
- $p = 57^\circ$
- $r = 123^\circ$
- $s = 57^\circ$



OVERLAPPING ANGLES PROOF:

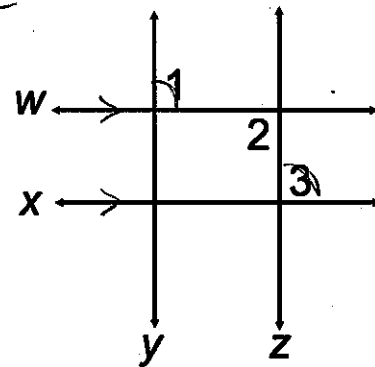
Given: $\angle AEN \cong \angle LEG$
 Prove: $\angle AEG \cong \angle LEN$



- ① $\angle AEN \cong \angle LEG$ → $m\angle AEN = m\angle LEG$
 Given Def. of \cong
- ② $m\angle AEN + m\angle NEG = m\angle AEG$
 $m\angle LEG + m\angle NEG = m\angle LEN$
 Angle Addition Postulate
- ③ $m\angle LEG + m\angle NEG = m\angle AEG$
 substitution Prop. of =
- ④ $m\angle AEG = m\angle LEN$
 Transitive Prop. of =
- ⑤ $\angle AEG \cong \angle LEN$
 Def. of \cong

PARALLEL LINES PROOF:

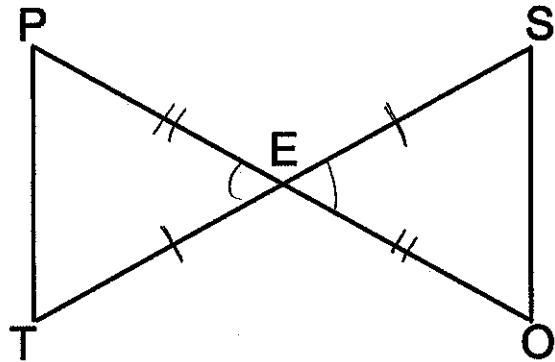
Given: $w \parallel x, \angle 1 \cong \angle 3$
 Prove: $y \parallel z$



- ① $w \parallel x, \angle 1 \cong \angle 3$ → $\angle 2 \cong \angle 3$
 Given Alt. Int. & Thrm
- ② $\angle 1 \cong \angle 2$
 Transitive Prop. of \cong
- ③ $y \parallel z$
 Converse of the Alt. Int. & Thrm

BOWTIE PROOF:

Given: \overline{PO} bisects \overline{ST} at E , E is the midpoint of \overline{PO}
Prove: $\triangle PET \cong \triangle OES$



① \overline{PO} bisects \overline{ST} at E , E is midpt of \overline{PO}
 Given

② $\overline{TE} \cong \overline{SE}$
 Def. of bisector

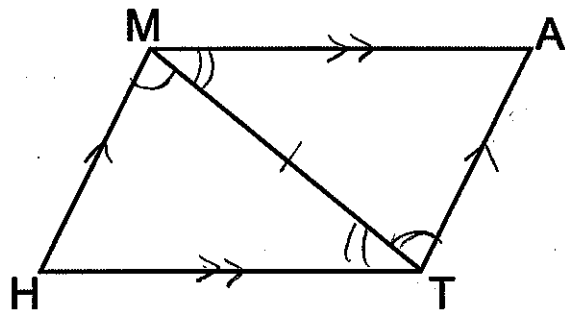
③ $\overline{PE} \cong \overline{OE}$
 Def. of midpt

④ $\angle PET \cong \angle OES$
 Vertical \angle Thrm

⑤ $\triangle PET \cong \triangle OES$
 SAS

PARALLELOGRAM PROOF:

Given: $\overline{MH} \parallel \overline{AT}$, $\overline{MA} \parallel \overline{HT}$
Prove: $\angle H \cong \angle A$



① $\overline{MH} \parallel \overline{AT}$, $\overline{MA} \parallel \overline{HT}$
 Given

② $\angle HMT \cong \angle ATM$
 $\angle AMT \cong \angle HTM$
 Alt. Int. \angle Thrm

③ $\overline{MT} \cong \overline{TM}$
 Reflexive Prop. of \cong

④ $\triangle HMT \cong \triangle ATM$
 ASA

⑤ $\angle H \cong \angle A$
 CPCTC